

## **APPLICATION NOTE**

## HEATSINK CALCULATION AND EXAMPLES

In many cases, GS-Rx and GSxTy-z modules don't require any additional cooling methods because the dimensions and the shape of the metal boxes were studied to offer the minimum possible thermal resistance case to ambient for a given module.

It should be remembered, that GS-R and GS-T modules are power devices i.e. products that deliver power and dissipate powerand, dependingon ambient temperature, an additional heat-sink or forced ventilation or both may be required to keep the unit within safe temperature range.

We would like here to eliminate a wrong parameter that has been plaguing the technical literature of power devices for 30 years: the operating ambient temperature specified among Absolute Maximum Rating.

The concept of operating ambient temperature is totally meaningless when we deal with power components,because the operatingambient temperature depends on how a power device is used.

What can be unambiguouslydefined is the maximum junction temperatureof a power semiconductor device or the case temperature of a module. To prove this, let's consider the following example:

GS-R1005 at :

 $V_{in} = 24V$   $I_0 = 10 A$   $P_0 = 50 W$   $T_{casemax} = 75 °C$ GS100T300-12at :

 $V_{in} = 300 \text{ V}$   $I_0 = 8 \text{ A}$   $P_0 = 96 \text{ W}$   $T_{casemax} = 70 \text{ °C}$ 

From data sheets we can get the respective efficiencies η and power dissipations

$$
P_d = P_o \ (\frac{1}{\eta} - 1)
$$

GS-R1005  $\eta = 0.83$  Pd = 10.2 W GS100T300-12  $\eta = 0.84$  P<sub>d</sub> = 18.3 W

In case of natural convection (no heat-sink or forced ventilation) the thermal resistance case to ambient and the maximum ambient temperature  $(T_{ambMAX} = T_{Cmax} - R_{th} \bullet P_d)$  will be:

GS-R1005



As data show, the maximum operating ambient temperatures are a "non-sense" in the two cases, due to the fact that both devices are for use with an external heatsink.

In practice a designer must fix four preliminary values such as:

 $V_{in}$  = Input voltage

 $V_{\text{out}} =$  Output voltage

 $I_{\text{out}} =$  Output current

 $T_{amb}$  = Maximum ambient temperature at which the system must operate.

From these data, it is easy to determine whether an additional heat-sink is required or not and the relevant size i.e. the required thermal resistance. The step by step calculation is as follows:

1. Calculate output power:

$$
P_O = V_O \cdot I_O
$$

2. On data sheet, from  $V_0$ ,  $V_{in}$ ,  $I_0$ , the efficiency is obtained directly or by calculation:

$$
\eta = \frac{P_O}{P_{IN}}
$$

3. The actual power dissipation is given by:

$$
P_d = P_0 (\frac{1}{\eta} - 1)
$$

4. The case temperature is calculated:

$$
T_{CASE} = T_{AMBmax} + R_{th} \cdot P_d
$$

(Rth is shown on data sheet)

5. If  $T_{\text{case}} < T_{\text{caseMAX}}$  no external heat-sink is required

If Tcase  $>$  T<sub>caseMAX</sub> then proceed as follows.

6. Let's calculate what thermal resistance case to ambient is needed:

$$
T_{TH(tot)} = \frac{T_{CASEmax} - T_{AMBmax}}{P_d}
$$

This is the total thermal resistance i.e. the parallel of the module and external heat- sink thermal resistances.

7. The thermal resistance of the additional heatsink is calculated:

$$
R_{TH(HS)} = \frac{R_{THmodule} \cdot R_{TOT}}{R_{THmodule} - R_{TOT}}
$$

As an example, let's consider two cases. Conditions:



1. Output powers:

 $P_{O1} = 5 \cdot 2 = 10 \text{ W}$   $P_{O2} = 12 \cdot 5 = 60 \text{ W}$ 

2. From data sheet:

$$
\eta_1\,=\,0.83\quad \eta_2\,=\,0.84
$$

3. Power dissipations:

$$
P_{d1} = 10 \left( \frac{1}{0.83} - 1 \right) = 2.0 \text{ W}
$$

$$
P_{d2} = 60 \left( \frac{1}{0.84} - 1 \right) = 11.4
$$

4. Case temperatures:

 $T_{C1} = 55 + 2.0 \cdot 7.5 = 70 \degree C$ 

$$
T_{C2} = 55 + 11.4 \cdot 7.5 = 140.5 \,^{\circ}\text{C}
$$

- 5. The GS-R1005 does not require heat-sink that is, on the contrary, required for GS100T300-12.
- 6. Total thermal resistance for GS100T300-12

$$
R_{TH(TOT)} = \frac{70 - 55}{11.4} = 1.31 \,^{\circ}\text{C} / \text{W}
$$

7. Required thermal resistance of heat-sink:

$$
R_{TH(HS)} = \frac{7.5 \cdot 1.31}{7.5 - 1.31} = 1.58 \,^{\circ}\text{C} / \text{W}
$$



The following table gives the thermal resistance of commercially available heat-sinks.

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